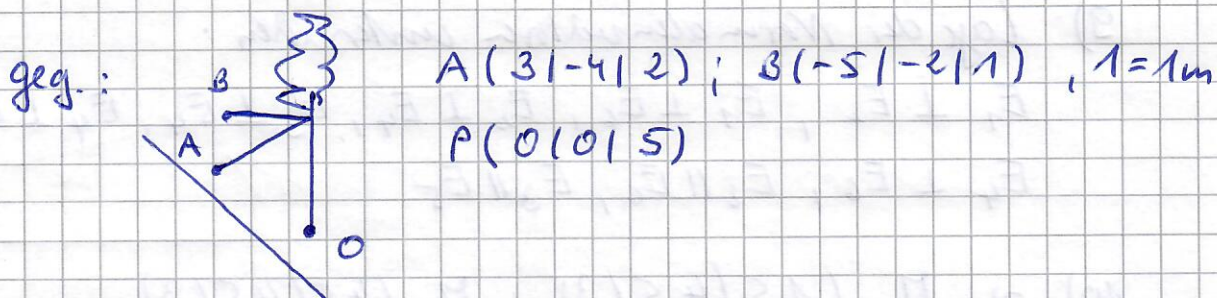


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ges.: $\angle (g(AP); E_{ABO})$ und $\angle (g(B,P); E_{ABO})$

Lös.: $E(ABO): \vec{x} = \begin{pmatrix} 0 \\ 0 \\ 0 \end{pmatrix} + r \begin{pmatrix} 3 \\ -4 \\ 2 \end{pmatrix} + s \begin{pmatrix} -5 \\ -2 \\ 1 \end{pmatrix}$

CP: $y + 2z = 0$

$g(AP): \vec{x} = \begin{pmatrix} 3 \\ -4 \\ 2 \end{pmatrix} + t \begin{pmatrix} -3 \\ 4 \\ 3 \end{pmatrix}$

$g(B,P): \vec{x} = \begin{pmatrix} -5 \\ -2 \\ 1 \end{pmatrix} + u \begin{pmatrix} 5 \\ 2 \\ 4 \end{pmatrix}$

$\sin \angle (g(A,P), E) = \frac{\left| \begin{pmatrix} -3 \\ 4 \\ 3 \end{pmatrix} \cdot \begin{pmatrix} 0 \\ 1 \\ 2 \end{pmatrix} \right|}{\sqrt{9+16+9} \cdot \sqrt{1+4}} = \frac{10}{\sqrt{34} \cdot \sqrt{5}} \approx 0,767$

$\angle (g(A,P), E) \approx 50^\circ$

$\sin \angle (g(B,P), E) = \frac{\left| \begin{pmatrix} 5 \\ 2 \\ 4 \end{pmatrix} \cdot \begin{pmatrix} 0 \\ 1 \\ 2 \end{pmatrix} \right|}{\sqrt{25+4+16} \cdot \sqrt{1+4}} = \frac{10}{\sqrt{45} \cdot \sqrt{5}} \approx 0,6$

$\angle (g(B,P), E) \approx \underline{41,8^\circ}$