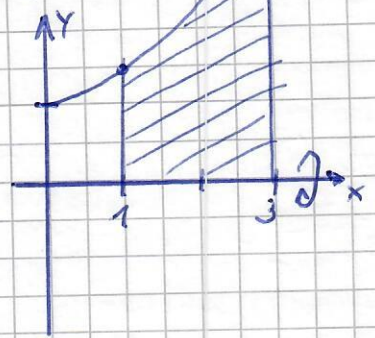


Lösungen HA f(x)

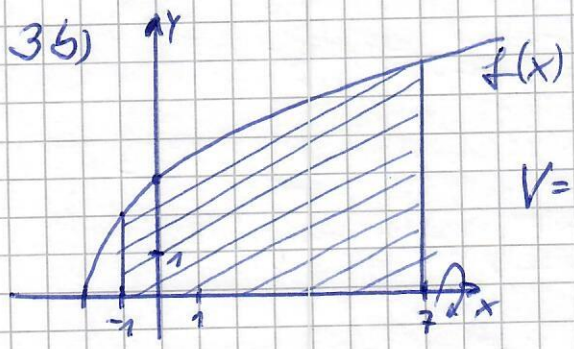
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3a)



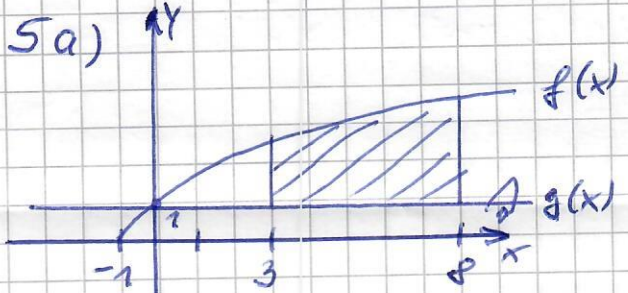
$$V = \pi \cdot \int_1^3 \left(\frac{1}{2}x^2 + 1\right)^2 dx = \frac{683}{30} \pi \approx \underline{\underline{71,5 VE}}$$

3b)



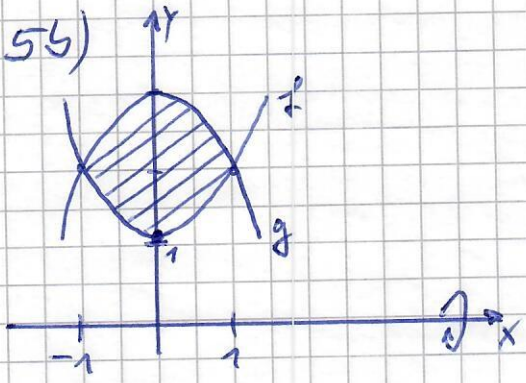
$$V = \pi \cdot \int_{-1}^7 (3\sqrt{x+2})^2 dx = 360\pi \approx \underline{\underline{1131 VE}}$$

5a)



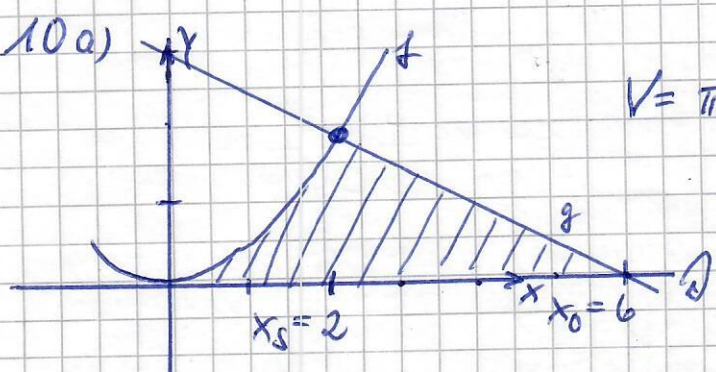
$$V = \pi \cdot \int_3^8 (\sqrt{x+1})^2 - (-1)^2 dx = \frac{95}{2} \pi \approx \underline{\underline{86,4 VE}}$$

5b)



$$V = \pi \cdot \int_{-1}^1 (x^2+3)^2 - (x^2+1)^2 dx = 10\sqrt{2} \pi \approx \underline{\underline{33,51 VE}}$$

10a)



$$V = \pi \int_0^2 \left(\frac{1}{2}x^2\right)^2 dx + \pi \int_2^6 \left(-\frac{1}{2}x+3\right)^2 dx = \underline{\underline{21,78 VE}}$$

NR:  $\frac{1}{2}x^2 = -\frac{1}{2}x + 3 \wedge x_s = 2$

Nst: g(x) bei x\_n = 6

I ≈ 14,137	IV ≈ 13,79	13)
II ≈ 14,137	V ≈ 16,93	
III ≈ 14,137		

S. 228/13

$$I) V = \pi \cdot \int_0^{1,5} 2^2 - 1^2 dx = \pi \cdot \int_0^{1,5} 3 dx = \pi \cdot [3x]_0^{1,5} = \underline{\underline{4,5\pi VE}}$$

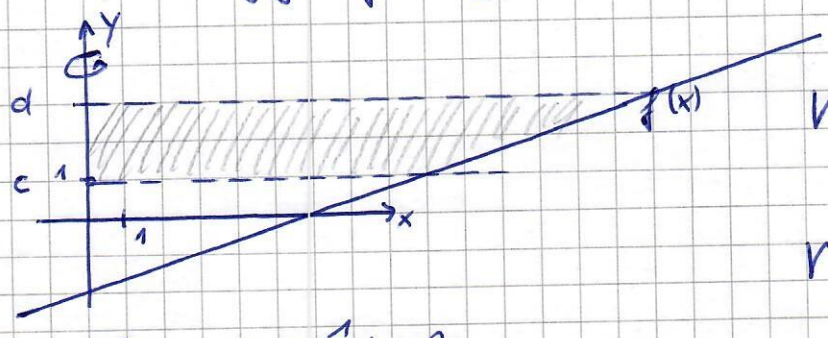
$$II) V = \pi \cdot \int_2^{3,5} 2,5^2 - (x-1)^2 dx \approx \underline{\underline{14,137 VE}} (= 4,5\pi VE)$$

$$III) V = \pi \cdot 2 \cdot \int_{2,5}^4 (x-2)^2 - 0,5^2 dx \approx \underline{\underline{14,137 VE}} (= 4,5\pi VE)$$

$$IV) V = \pi \cdot \int_{5,5}^{7,5} \left( e^{\frac{1}{2}(x-\frac{11}{2})} \right)^2 - 1^2 dx \approx \underline{\underline{13,79 VE}}$$

$$V) V = \pi \cdot \int_{7,75}^{10,25} (2 - (x-9)^2)^2 - 0,5^2 dx \approx \underline{\underline{16,93 VE}}$$

S. 228/7a geg.:  $f(x) = \frac{1}{3}x - 2$ ,  $c=1$ ;  $d=3$

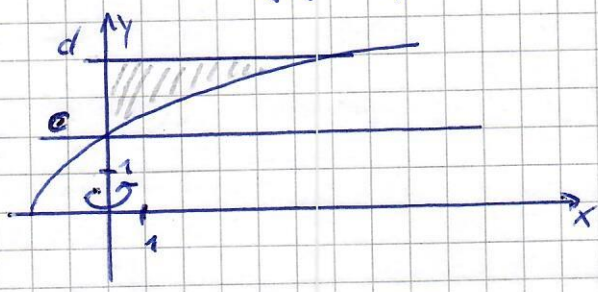


$$V = \pi \int_1^3 [3x+6]^2 dx$$

$$V = \pi \int_1^3 [3x+6]^2 dx \approx \underline{\underline{923,6 VE}}$$

NR:  $y = \frac{1}{3}x - 2$   
 $y+2 = \frac{1}{3}x$   
 $3y+6 = x \Rightarrow \underline{\underline{\bar{f}(x) = \bar{y} = 3x+6}}$

7c geg.:  $f(x) = \sqrt{2x+4}$ ,  $c=2$ ;  $d=4$



$$V = \pi \cdot \int_2^4 [\bar{f}(x)]^2 dx$$

$$y = \sqrt{2x+4} \quad | \cdot 1^2$$

$$y^2 = 2x+4$$

$$y^2 - 4 = 2x$$

$$\frac{1}{2}y^2 - 2 = x \Rightarrow \underline{\underline{\bar{f}(x) = \frac{1}{2}x^2 - 2}}$$

$$V \approx \underline{\underline{63,67 VE}}$$